

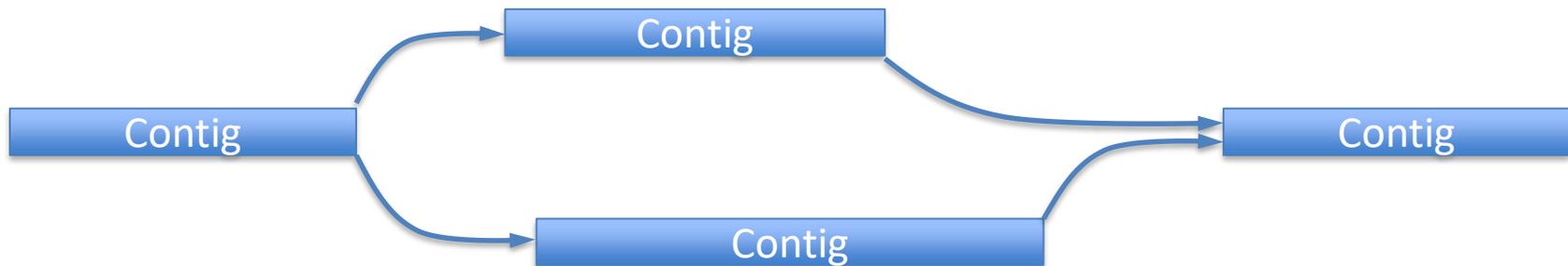
CS342: Bioinformatics

Assembling a Genome



Overlap Layout Consensus

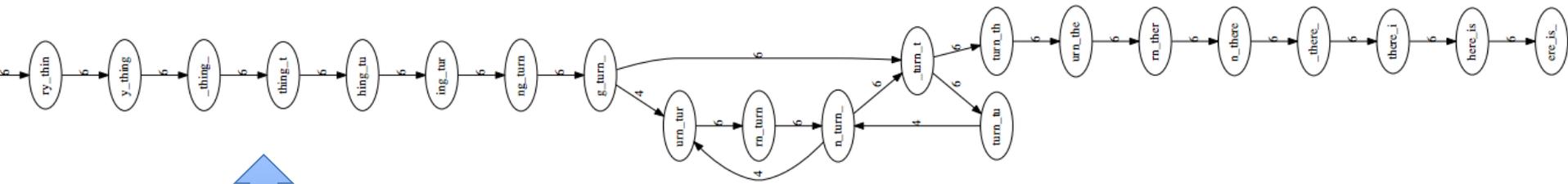
1. **Overlap** – Build the overlap graph
2. **Layout** – Bundle stretches of the overlap graph into *contigs*.
3. **Consensus** – Pick the most likely nucleotide sequence for each contig.



Sometimes additional information can be used to begin to *scaffold* or order together contigs.

Overlap **Layout** Consensus

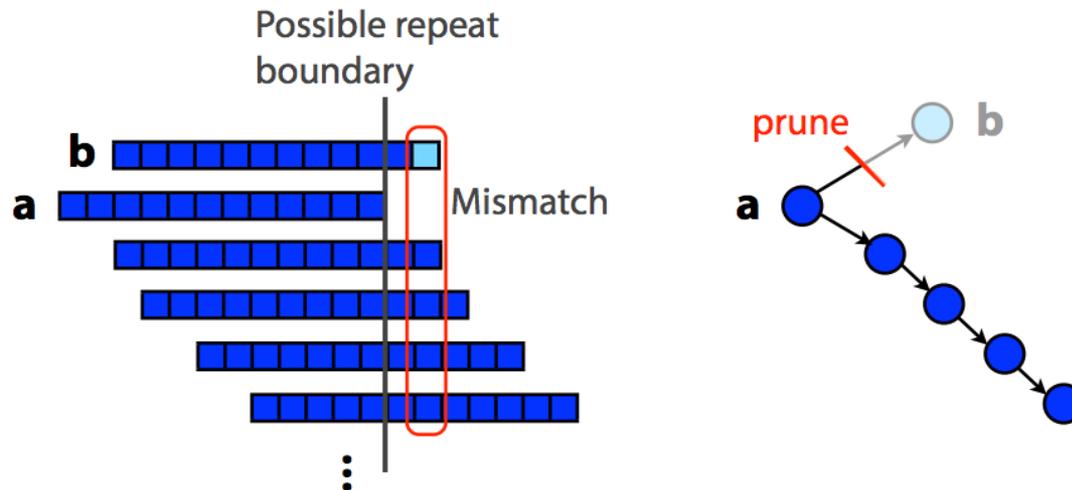
You can remove **redundant** information (edges) from the graph.



Same graph after
simplification

Overlap **L**ayout Consensus

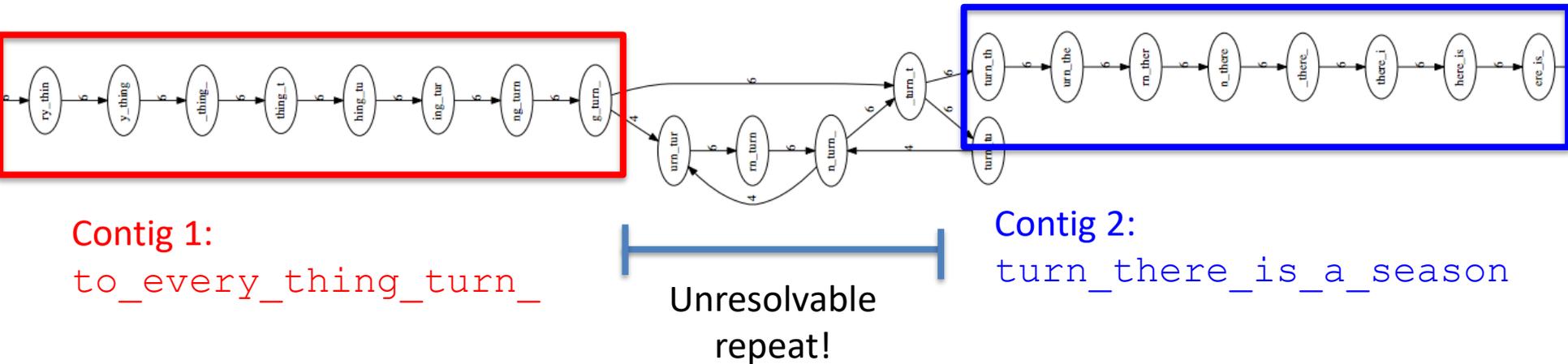
The layout step can also deal with problematic subgraphs, likely the result of errors.



Mismatch could be due to sequencing error or repeat. Since the path through **b** ends abruptly we might conclude it's an error and prune **b**.

Overlap **Layout** Consensus

Contigs correspond to non-branching stretches in the simplified graph



Overlap Layout Consensus

TAGATTACACAGATTACTGA TTGATGGCGTAA CTA
TAGATTACACAGATTACTGACTTGGATGGCGTAACTA
TAG TTACACAGATTA TTGACTT CATGGCGTAA CTA
TAGATTACACAGATTACTGACTTGGATGGCGTAA CTA
TAGATTACACAGATTACTGACTTGGATGGCGTAA CTA



Take reads that make up a contig and line them up

↓ ↓ ↓ ↓ ↓
TAGATTACACAGATTACTGACTTGGATGGCGTAA CTA

Take *consensus*, i.e. majority vote

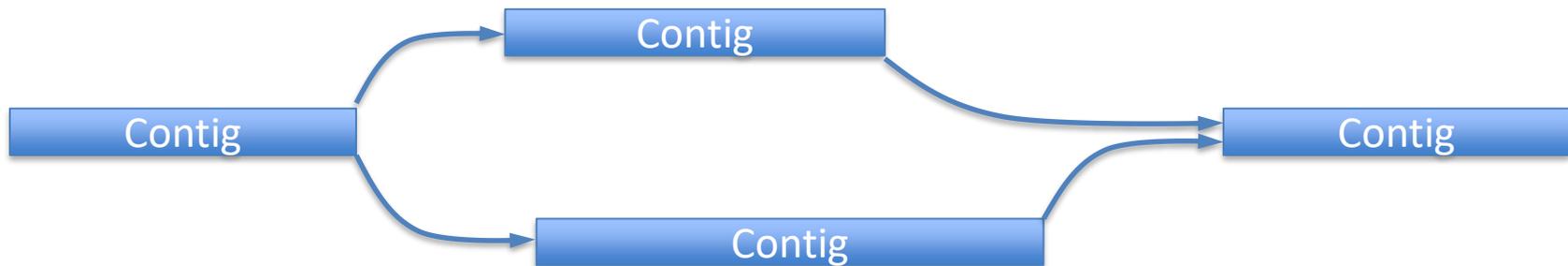
At each position, ask: what nucleotide (and/or gap) is here?

Complications: (a) sequencing error, (b) ploidy

Say the true genotype is AG, but we have a high sequencing error rate and only about 6 reads covering the position.

Overlap Layout Consensus

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Sometimes additional information can be used to begin to ***scaffold*** or order together contigs.

De Bruijn Graph Assembly

A formulation conceptually similar to overlapping/SCS, but has some potentially helpful properties not shared by SCS.

The graph of a sequence

For the moment let's imagine that reads are like k -mers from a sequence, as they do tend to be uniform in length.

GACGGCGGCGCACGGCGCAA - Our toy sequence
GACGG
ACGGC
CGGCG
GGCGG
GCGGC
CGGCG
GGCGC - The complete set of 16 5-mers
GCGCA
CGCAC
GCACG
CACGG
ACGGC
CGGCG
GGCGC
GCGCA
CGCAA

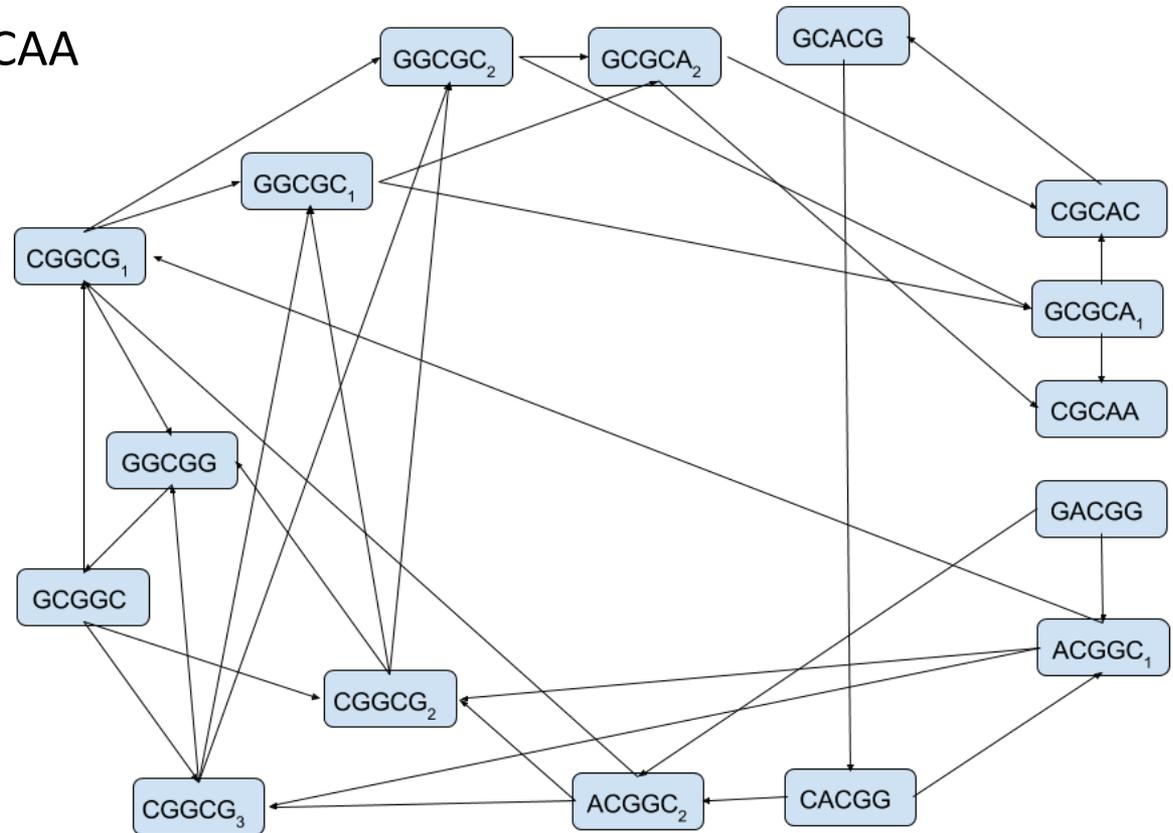
Now we can construct a graph where:

- Each 5-mer is a node
- There is a directed edge from a k -mer that shares its $(k - 1)$ -base suffix with the $(k - 1)$ -base prefix of another k -mer

A read-overlap graph

The read-overlap graph for the 5-mers from:

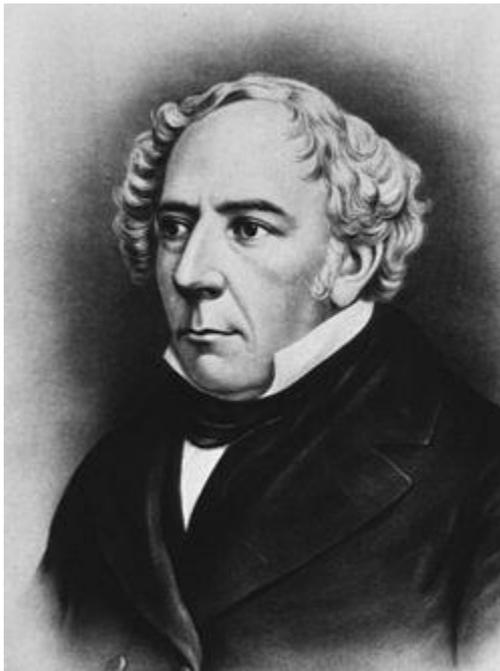
GACGGCGGCGCACGGCGCAA



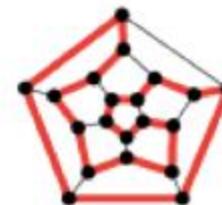
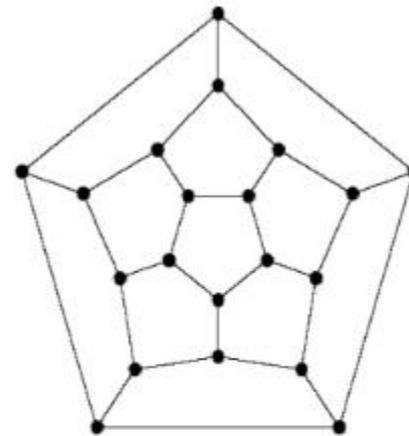
The problem is ***How to infer the original sequence from this graph?***

The rules of our game

- Every node, k -mer, can be used exactly once
- The object is to find a path along edges that visits every **node (vertex)** one time
- This game was invented in the mid 1800's by a mathematician called Sir William Hamilton



A version of Hamilton's game:

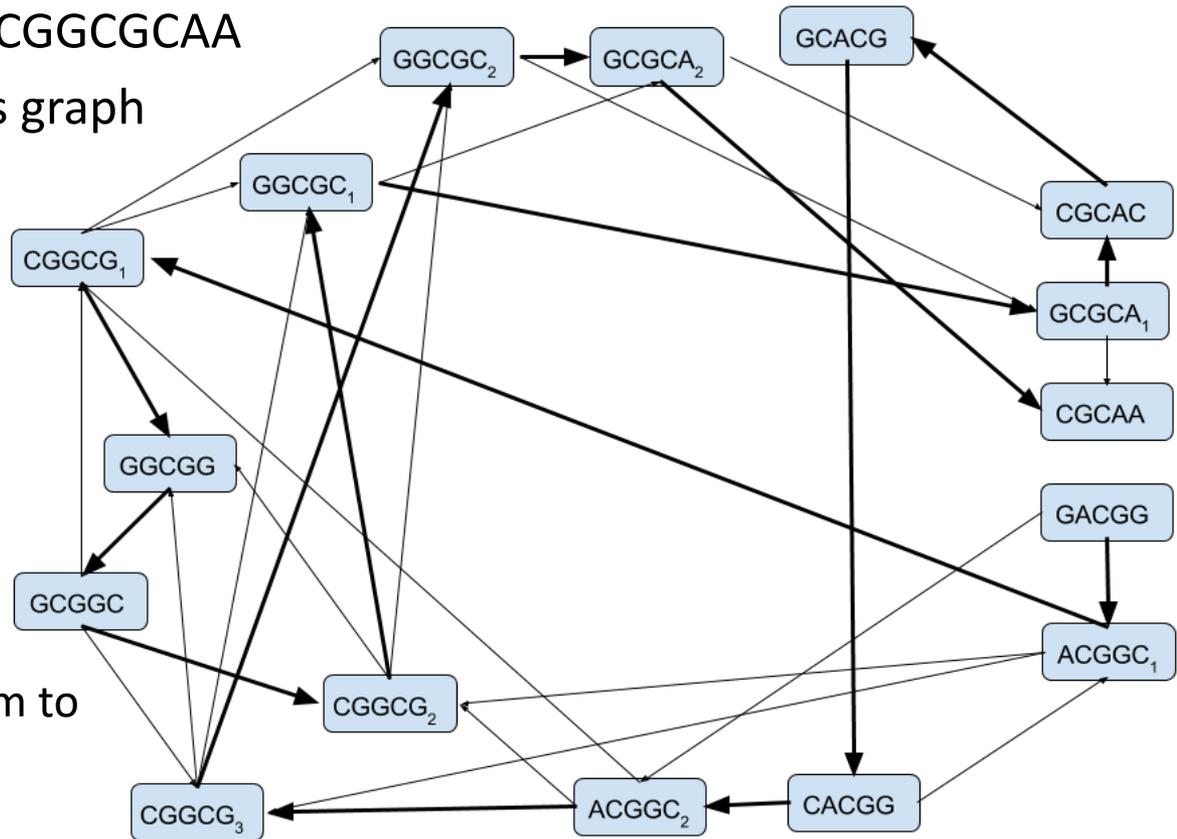


Finding a Hamiltonian Path in a graph

Our desired sequence:

GACGGCGGCGCACGGCGCAA

is indeed a path in this graph



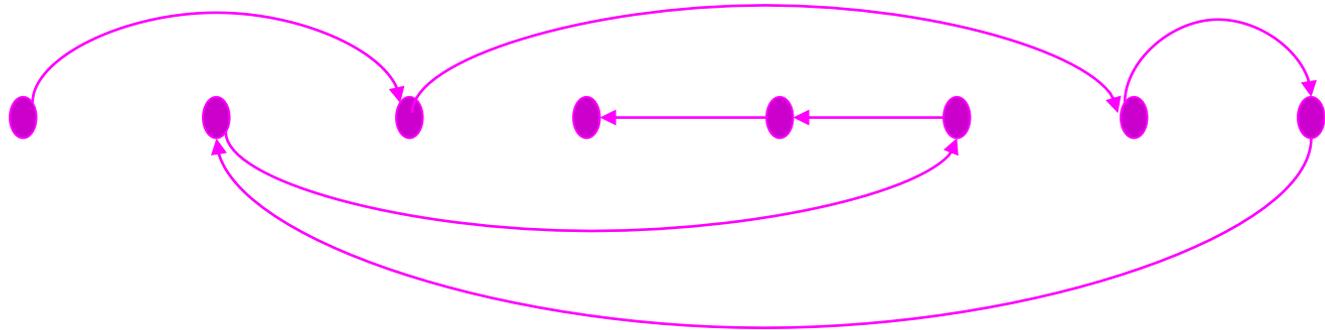
How can we write a program to solve Hamilton's puzzle?

Is the solution unique?

Example Problem: Hamiltonian Path Approach

$S = \{ \text{ATG AGG TGC TCC GTC GGT GCA CAG} \}$

ATG AGG TGC TCC GTC GGT GCA CAG



ATG CAG GTC TCC

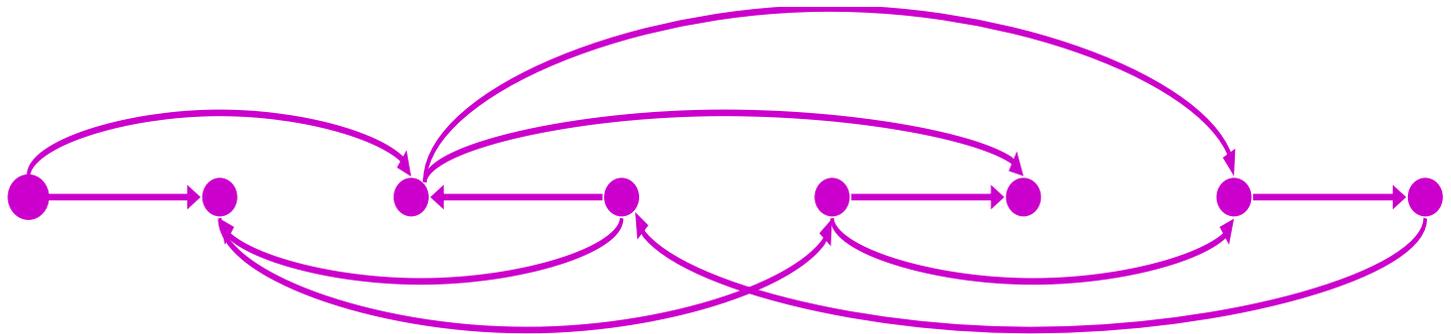
Path visited every VERTEX once

More Complicated Example: Hamiltonian Path Approach

A more complicated graph:

$S = \{ \text{ATG} \quad \text{TGG} \quad \text{TGC} \quad \text{GTG} \quad \text{GGC} \quad \text{GCA} \quad \text{GCG} \quad \text{CGT} \}$

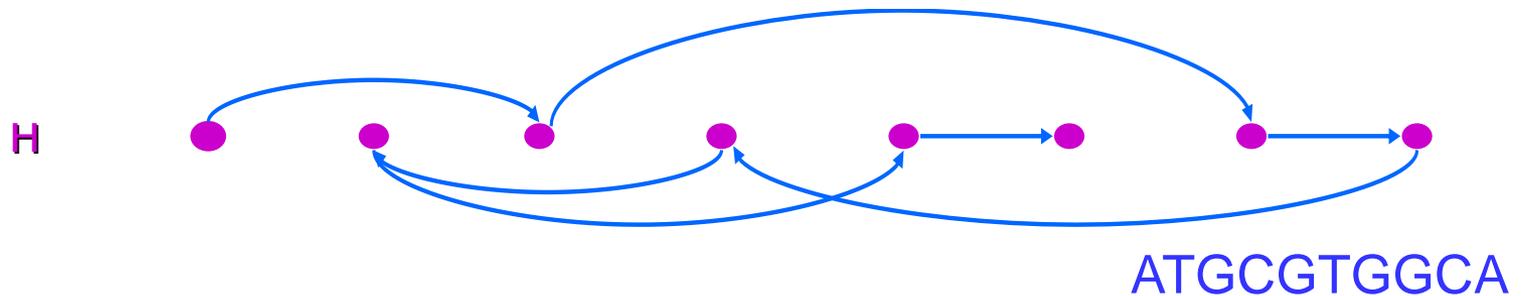
H



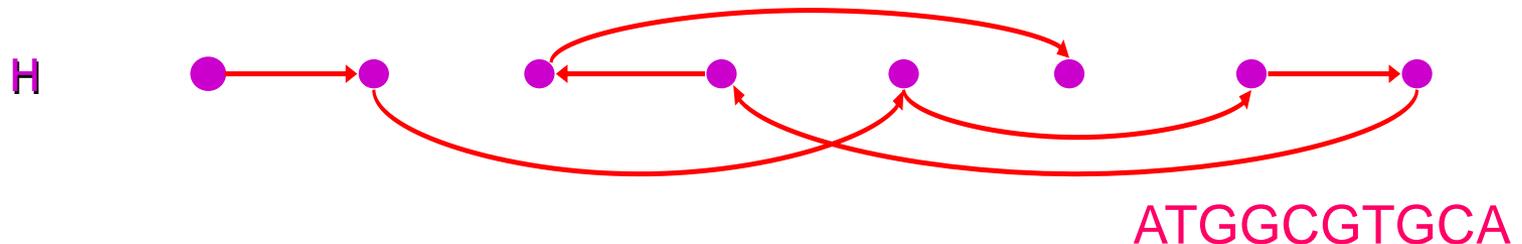
More Complicated Example: Hamiltonian Path Approach

$S = \{ \text{ATG TGG TGC GTG GGC GCA GCG CGT} \}$

Path 1:



Path 2:



Another way to represent our k -mers in a graph

- Rather than making each k -mer a node, let's try making them an edge
- That seems odd, but it is related to the overlap idea

The 5-mer

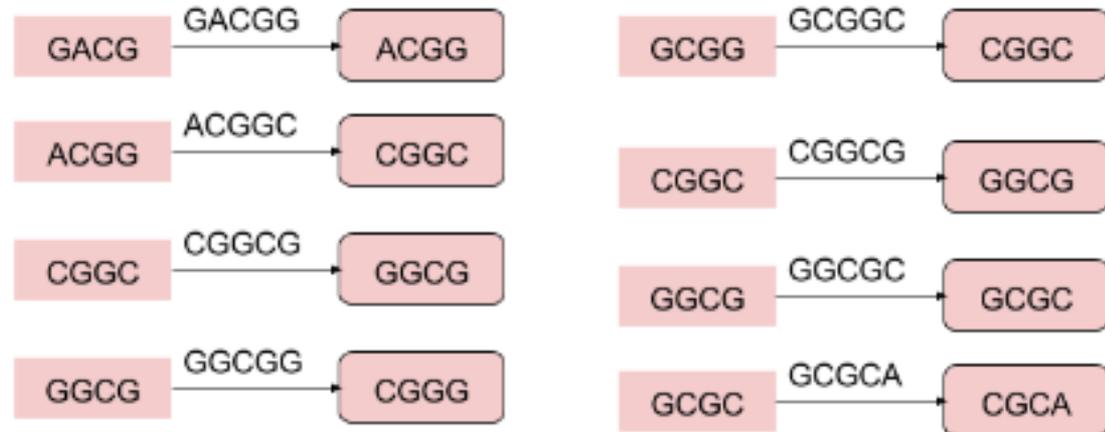
GACGG

has a prefix

GACG

and a suffix

ACGG

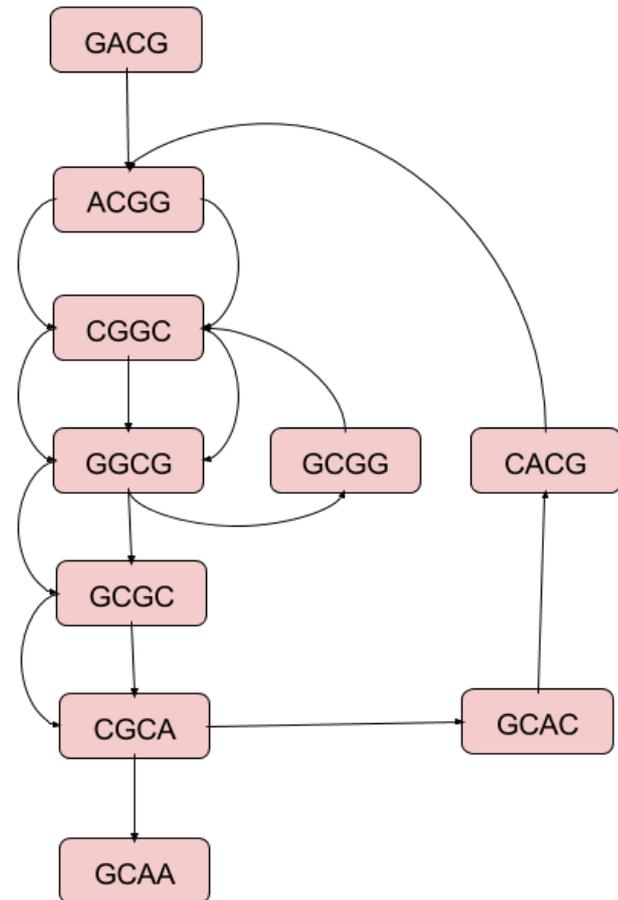


- Think of the k -mer as the edge connecting a prefix to a suffix
- This leads to a series of simple graphs
- Then combine all nodes with the same label

A De Bruijn Graph

This rather odd graph is called the "De Bruijn" graph; was named after a famous mathematician.

The problem is *How to infer the original sequence from this graph?*



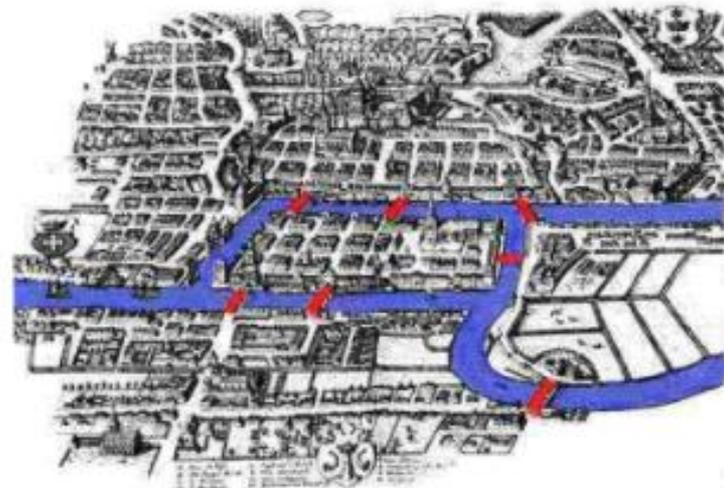
The rules of our new game

- Every edge, k -mer, can be used exactly once
- The object is to find a path in the graph that uses each edge only one time
- This game was invented in the late 1700's by a mathematician called Leonhard Euler



Leonhard Euler

A version of Euler's game:



Bridges of Königsberg

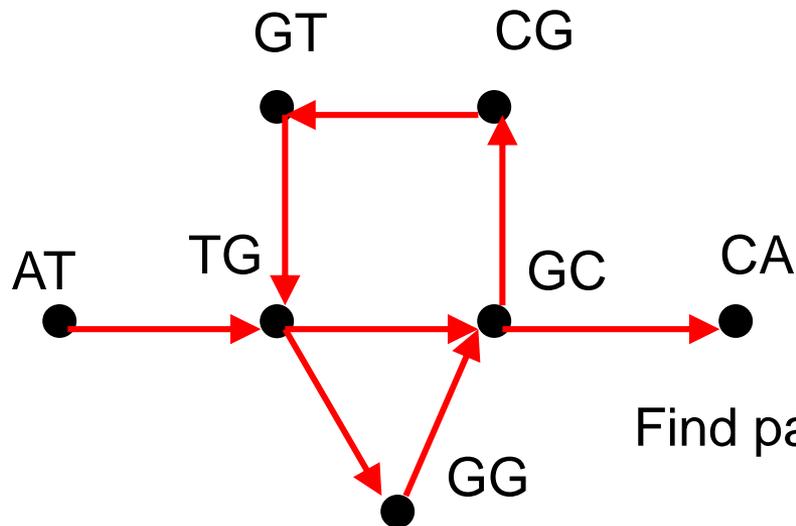
Find a city tour that crosses every bridge just once

Example Problem: Eulerian Path Approach

$S = \{ \text{ATG, TGG, TGC, GTG, GGC, GCA, GCG, CGT} \}$

Vertices correspond to $(k - 1)$ - mers : $\{ \text{AT, TG, GC, GG, GT, CA, CG} \}$

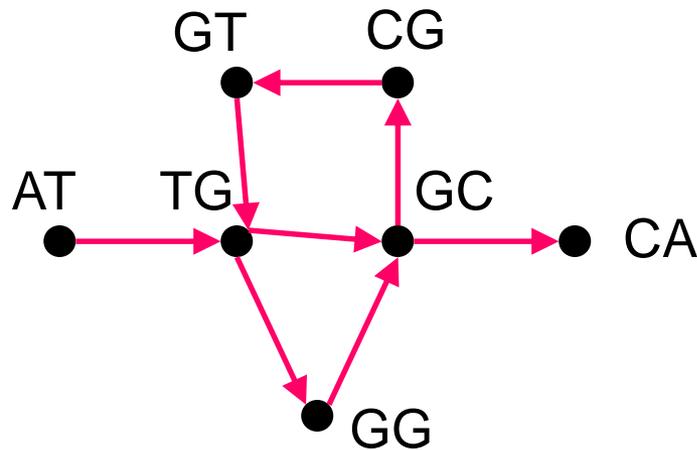
Edges correspond to k - mers from S



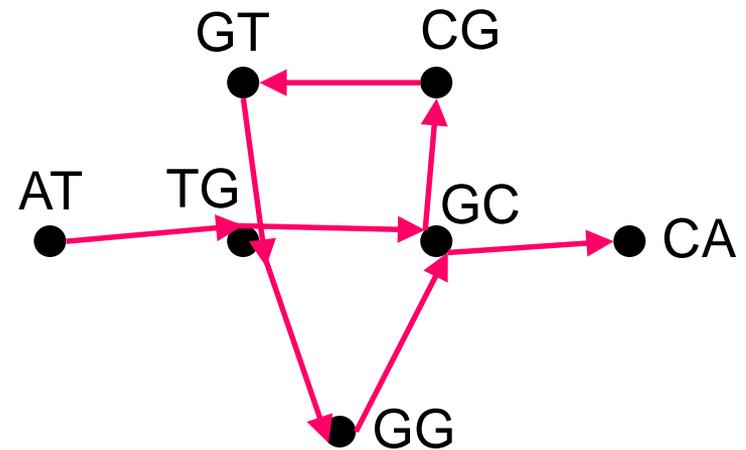
Find path that visits every **EDGE** once

Example Problem: Eulerian Path Approach

$S = \{ AT, TG, GC, GG, GT, CA, CG \}$ corresponds to two different paths:



ATGGCGTGCA



ATGCGTGGCA