COMP 355 Advanced Algorithms

Sorting and Selection Review



Sorting								
Given n elements, rearrange in ascending order.								
Obvious sorting applications. List files in a directory. Organize an MP3 library. List names in a phone book. Display Google PageRank results.	Non-obvious sorting applications. Data compression. Computer graphics. Interval scheduling. Computational biology. Minimum spanning tree.							
Problems become easier once sorted. Find the median. Find the closest pair. Binary search in a database. Identify statistical outliers. Find duplicates in a mailing list.	Supply chain management. Simulate a system of particles. Book recommendations on Amazon. Load balancing on a parallel computer.							

Sorting Algorithms

Usually divided into two classes,

- *internal sorting algorithms*, (assume that data is stored in an array in main memory
- *external sorting algorithm* (assume that data is stored on disk or some other device that is best accessed sequentially.

We will only consider internal sorting.



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Summary								
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Comparison-Based Sorting Algorithms: A <i>stable</i> sorting algorithm preserves the relative order of equal elements. An <i>in-place</i> sorting algorithm uses no additional array storage (although $O(\log n)$ additional space is allowed for the recursion stack).								
	Ī	Algorithm	Time	Stab	le	In-place		
	Ť	BubbleSort	$\Theta(n^2)$	Yes		Yes		
		InsertionSort	$\Theta(n^2)$	Yes		Yes		
		MergeSort	$\Theta(n \log n)$	Yes		No		
	HeapSort $\Theta(n \log n)$ No		No	No Yes				
		QuickSort*	$\Theta(n \log n)$	Yes/	No	No/Yes		
*There are two versions of QuickSort, one which is stable but not in-place, and one which is in-place but not stable.								
Non-Comparison-Based Sorting Algorithms: All of these algorithms are stable, but not in-place.								
	Algorithm	Assumptions			Time		Space	
	CountingSort	Integers over $[0k]$			$\Theta(n+k)$		$\Theta(n+k)$	
	RadixSort	Integers over $[0n^d]$			$\Theta(d(n+k))$		$\Theta(n+k)$	
	BucketSort	Integers uniformly distributed			$\Theta(n)$ (Expected)		$\Theta(n)$	
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							Rhodes College	